

How to define a phantom

Any geometry definition is set in square brackets:

[*type* : *commands*]

type defines the geometry type, the details are specified with the *commands*.

The possible types of geometries and the meaning of the commands are explained in the next sections. **All geometry values are zero by default.**

Volume geometries

are needed to define the phantom objects.

Volume geometry types

Volume geometries are used to compose a phantom from objects. The variables *x*, *y* and *z* define (except for cones and tetrahedrons) the object's center of gravity coordinates. Alternatively the object center may be defined by specifying the cartesian vector *center* (*expression*, *expression*, *expression*). All parameters are initialized to zero. Note that all objects can be combined with clip planes (see section [Clip planes](#)).

Sphere

sphere with radius *r*.

Box

box with edges parallel to the coordinate axis and edge lengths *dx*, *dy*, *dz*.

Cylinder_x

cylinder with length *l* and radius *r* parallel to the *x* axis.

Cylinder_y

cylinder with length *l* and radius *r* parallel to the *y* axis.

Cylinder_z

cylinder with length *l* and radius *r* parallel to the *z* axis.

Cylinder

cylinder with length *l* and radius *r*. Vector

axis (*expression*, *expression*, *expression*) defines the (*x*,*y*,*z*)-direction of the axis.

Ellipsoid

triaxial ellipsoid with *half* axis *dx*, *dy*, *dz*; all axes parallel to the coordinate axes.

Ellipsoid_free

triaxial ellipsoid with arbitrary axis directions given by any two of the following vectors forming a mutually orthogonal set:

a_x (*expression*, *expression*, *expression*),

a_y (*expression*, *expression*, *expression*) and

a_z (*expression*, *expression*, *expression*). The two vectors have to be orthogonal but not necessarily normalized. The sizes along these axes are given by the *half* axis lengths *dx*, *dy* and *dz*.

Ellipt_Cyl

cylinder with elliptical cross section, arbitrary orientation in space. Length *l*, half axis *dx*, *dy*. The orientation is defined by any two of the following vectors forming a mutually orthogonal set: *axis* (*expression*, *expression*, *expression*) points in axis direction, *a_x* (*expression*, *expression*, *expression*) defines the direction of the

ellipsoid axis given by dx , $a_y(expression, expression, expression)$ defines the direction of the ellipsoid axis given by dy . The two vectors have to be orthogonal but not necessarily normalized.

Ellipt_Cyl_x

cylinder with elliptical cross section, axis parallel to the x axis, length l , half axis lengths dy, dz .

Ellipt_Cyl_y

cylinder with elliptical cross section, axis parallel to the y axis, length l , half axis lengths dx, dz .

Ellipt_Cyl_z

cylinder with elliptical cross section, axis parallel to the z axis, length l , half axis lengths dx, dy .

Cone

truncated cone, arbitrary orientation in space as given by the axis $axis(expression, expression, expression)$. Length l , radii $r1$ and $r2$ at the two ends of the truncated cone. Moving along the cone axis in the direction given by $axis$, first the end corresponding to $r1$, then the end corresponding to $r2$ is met. x, y and z define the center of the truncated cone axis.

Cone_x

truncated cone of length l , radius $r1$ at the end with smaller x , radius $r2$ at the end with larger x , axis parallel to the x axis. x, y and z define the center of the truncated cone axis.

Cone_y

truncated cone of length l , radius $r1$ at the end with smaller y , radius $r2$ at the end with larger y , axis parallel to the y axis. x, y and z define the center of the truncated cone axis.

Cone_z

truncated cone of length l , radius $r1$ at the end with smaller z , radius $r2$ at the end with larger z , axis parallel to the z axis. x, y and z define the center of the truncated cone axis.

Tetrahedron

tetrahedron with the four corners given by the (x,y,z) vectors

$p1(expression, expression, expression)$,

$p2(expression, expression, expression)$,

$p3(expression, expression, expression)$ and

$p4(expression, expression, expression)$. x, y, z are meaningless. Note that every polyhedron can be composed of tetrahedrons. Another way to create *convex*

polyhedrons is to treat some object (e.g. a sphere) with clip planes (see section [Clip planes](#)).

Clip planes

All volume geometries can be combined with one or several **clip planes**. These clip planes remove parts of the object not contained in the half-space defined by the plane. Clip planes can be defined in two ways:

- By specifying an inequality of the form

$x < expression$

or

$x > expression$

which excludes all points of the object which do not fulfill the inequality (analog for y, z).

- By specifying the normal of an arbitrary plane and its distance to the origin:

$$r(\text{expression}, \text{expression}, \text{expression}) < \text{expression}$$

or

$$r(\text{expression}, \text{expression}, \text{expression}) > \text{expression}$$

This specification is to be understood as *intersection with the set of all points that obey the equation $\mathbf{r} \cdot \mathbf{n} <(>) a$* , where $\mathbf{n} = \mathbf{v}/|\mathbf{v}|$, \mathbf{v} is the given vector, a is the value of the right hand side expression and ' \cdot ' stands for the scalar product.

Hence, if \mathbf{n} is the normal vector of the clip plane pointing *outside* the relevant region (*inside* the region which is to be cut off), the specification is $r(\mathbf{n}) < \mathbf{n} \cdot \mathbf{p}$, where \mathbf{p} is an arbitrary point in the clip plane.

If several clip planes (of any type) are given, the object is intersected with all given half-spaces.

Sample geometries

Here are a few examples for volume geometry definitions:

Without clip planes:

1. [Sphere: r = 4] creates a sphere of radius 4 cm around the origin,
2. [Box: x = 1 y = 1 z = 2 dx = 2 dy = 2 dz = 4] creates a box of 2*2*4 cm³ with one corner located in the origin,
3. [Cylinder: l=10 r=2 axis(1,1,1)] creates a cylinder of length 10 cm and a diameter of 4 cm centered in the origin and pointing into the (1,1,1) direction,
4. [Tetrahedron: p1(0,0,0) p2(1,0,0) p3(0,1,0) p4(0,0,1)] creates a tetrahedron with the four corners (0,0,0), (1,0,0), (0,1,0) and (0,0,1).

Using clip planes:

1. [Sphere:r=5 x<0 y<0] produces a quarter sphere (negative x and y) with the curvature center in the origin,
2. [Sphere:x=-4 r=5 x>0] produces an object in the shape of a planoconvex lens of thickness 1 cm, the convex part pointing into the positive x direction,
3. [Box:x=0.5 y=0.5 z=0.5 dx=1 dy=1 dz=1 r(1,1,1)<1/sqrt(3)] creates the same tetrahedron as in example 4 by truncating a box,
4. [Sphere:r=100 x>0 y>0 z>0 x<2 y<2 z<4] creates the same box as in example 2 by truncating a sphere.

Surface geometries

are used for detectors, antiscatter grids, etc.

The variables x , y and z define the surface reference point. Alternatively the surface reference point may be defined by specifying the cartesian vector `center(expression,expression,expression)`. The extension of the plane is given relative to this point. *Please note:* this point is always in the detector surface.

`Plane_xy`

rectangular plane parallel to the xy plane.

`Plane_xz`

rectangular plane parallel to the xz plane.

`Plane_yz`

rectangular plane parallel to the yz plane.

`Plane`

arbitrary rectangular plane. It is defined through any *two* of the following vectors:

`norm(expression,expression,expression)`, the surface normal

`a_x(expression,expression,expression)`, the row direction ("east") and

`a_y(expression,expression,expression)`, the column direction ("north"). The two

vectors have to be orthogonal but not necessarily normalized.

`Cylindrical_z`

cylindrical geometry, axis parallel to the z axis. Rectangular region on the cylinder surface. The angular extension of the detector is defined relative to the vector from the axis (defined elsewhere) to the surface reference point.

`Cylindrical`

cylindrical geometry, arbitrary axis given by `axis(expression,expression,expression)`.

Rectangular region on the cylinder surface. The angular extension of the detector is defined relative to the vector from the axis (defined elsewhere) to the surface reference point.

`Spherical`

spherical cone geometry. The surface reference point is irrelevant.